# 26/10/2018

# InterCity - seminar

# Bern - Neuchâtel -**Fribourg/Freiburg**

12

| Time | Speaker |  |
|------|---------|--|
|      |         |  |

#### Nathan Bowler (Hamburg) 14:00

#### Talk

### **Representing matroids over** hyperfields

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Abstract: I'll explain how to simultaneously generalise the notions of linear subspaces, matroids, valuated matroids, and oriented matroids, as well as phased matroids in the sense of Anderson-Delucchi. All of these can be thought of as matroids represented in a certain sense over hyperfields. In fact, there are (at least) two natural notions of represented matroid in this context, and I will discuss both. I'll give "cryptomorphic" axiom systems for such matroids in terms of circuits, Grassmann-Plücker functions, and dual pairs, and explain some basic duality theorems. I'll also outline an argument that if the hyperfield F is doubly distributive then the two different notions of representation over F coincide.

15:30 Yaroslav Shitov (HSE Moscow)

## An inequality of Wielandt and growth in the algebra of matrices

Abstract: A classical result of Wielandt states that, if some power of a 0-1 matrix has all entries positive, then this happens for all powers beginning from  $(size-1)^2 + 1$ . The following question is regarded as a quantum version of this result: Let S be a set of Dby-D matrices and assume that every matrix can be written as a homogeneous polynomial of some fixed degree k in S. Then, is the same statement true for k in O(D<sup>2</sup>)? In a joint effort with Mateusz Michalek, we were able to prove an O(D<sup>2</sup> log D) bound, improving the previously known one of  $O(D^4)$ . The same problem but without the word 'homogeneous' is also of interest, and the speaker was able to get an O(D log D) bound for it.

The talks will take place in Room 1.309 of the Earth Sciences building (PER 0) at the university of Fribourg.

#### For further informations please contact the organisers:

Emanuele Delucchi (Fribourg) — Jan Draisma (Bern) — Elisa Gorla (Neuchâtel)

